

$K' \rightarrow \partial K!$

$$E' = P = K'$$

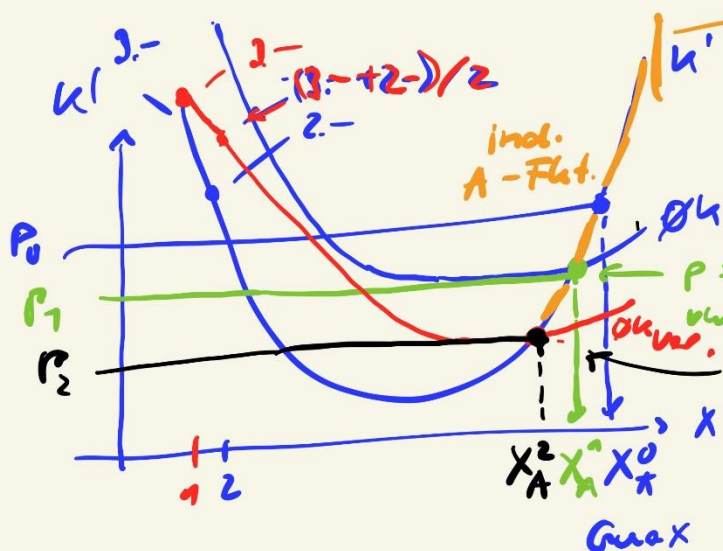
$$G = E - K$$

$$E = P \cdot X_A$$

$$K = X_A \cdot \partial K$$

$$\frac{\partial K}{\partial X} = \partial K$$

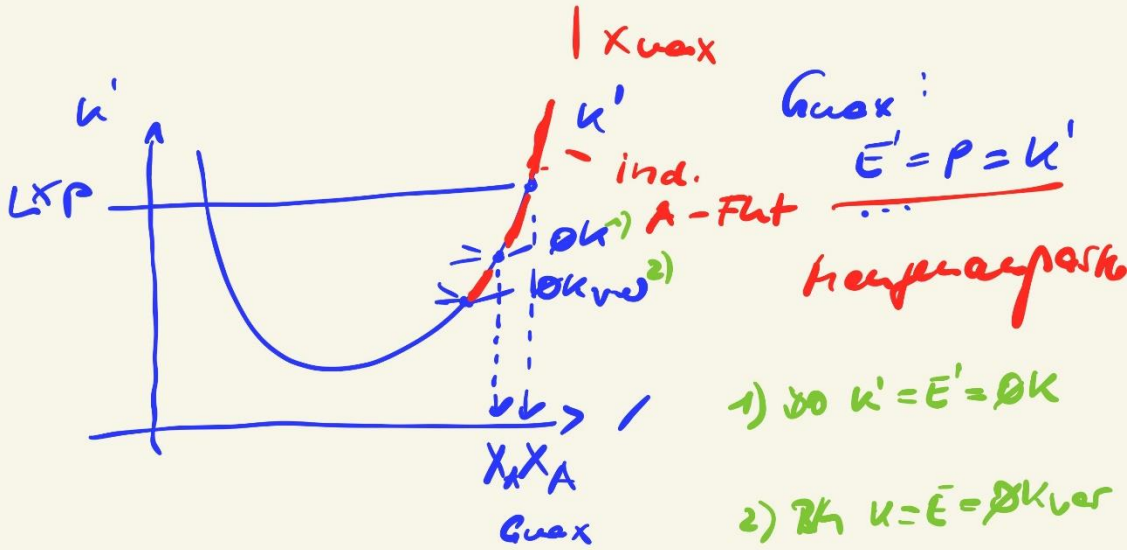
$$\bar{\partial K} = \partial K \cdot X$$



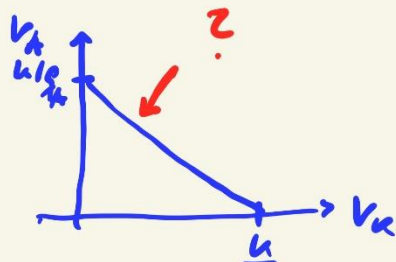
Obere Grenze:
Betriebs- X_{max}
minimieren
 $E = K_{var}$

$P = K' = \partial K$
Betriebs-
minimieren

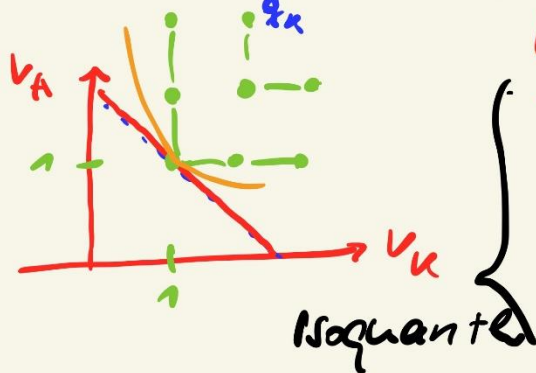
∂K ∂K_{var}
denn
 ∂K_{fix}



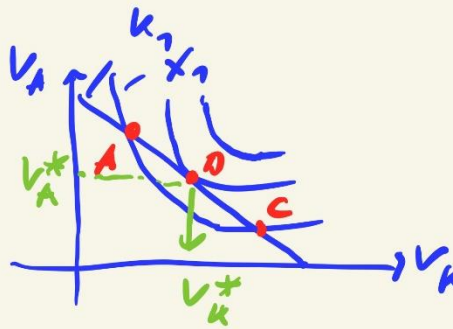
Prod.-funktion mit 2 variablen
Prod.-faktoren $[v_A; v_K]$



$K = v_A \cdot q_A + v_K \cdot q_K$
 Isokostenfunkt.
 $[v_A; v_K]$ mit $k = const$



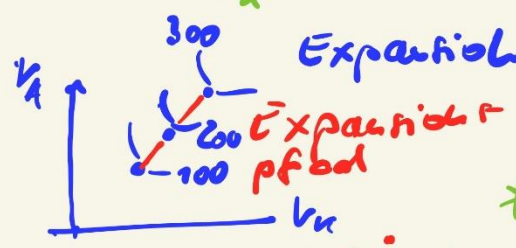
- $?$ Sucht
 $[v_A; v_K]$ mit X_{max}
 → vollst. subst. PF
 → vollst. limitationale PF
 → realist. PF



$$k(A) = k(B) = k(C)$$

$$x(A) < x(B) > x(C)$$

$$[v_A^*, v_K^*]$$



↳ $\text{pf. } k \rightarrow x_{\max}$
 ↳ $\text{pf. } x \rightarrow k_{\min}$

* MKK

Abstände:
 zwischen MKK $\rightarrow \Delta X = \text{const}$

