

Analyt. Verteilung tskk



Ausstieg K

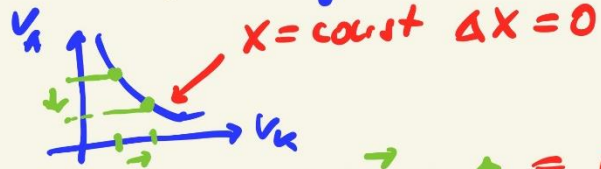
$$K = V_A \cdot q_A + V_K \cdot q_K$$

$$y = c_A K + c_K$$

$$k - V_K \cdot q_K = V_A \cdot q_A$$

$$\frac{k}{q_A} - \frac{q_K}{q_A} \cdot V_K = V_A$$

$$V_A = \frac{k}{q_A} - \frac{q_K}{q_A} V_K$$



Kennwert
↓ des Faktors
einheit V_A

Kennwert
↑ des Faktors
einheit V_K

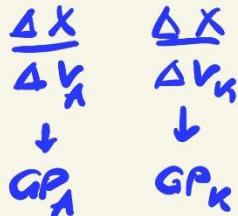
$$\Delta V_A \cdot GP_A + \Delta V_K \cdot GP_K = 0$$

$$\Delta V_A = - \Delta V_K \cdot \frac{GP_K}{GP_A}$$

$$\Delta V_A = \left(- \frac{GP_K}{GP_A} \right) \Delta V_K$$

GRSPF Grenzrate der Faktor-Substitution

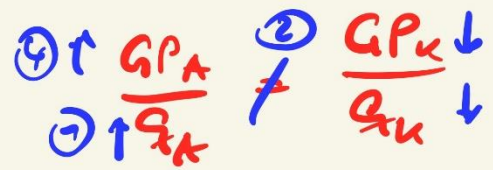
NB: Produktivität



* $MPK \Leftrightarrow - \frac{q_K}{q_A} = - \frac{GP_K}{GP_A} \left[= \frac{\Delta V_A}{\Delta V_K} \right]$

$\uparrow \frac{GP_A}{q_A} = \frac{GP_K}{q_K}$ prod.-orientierte Kompensations

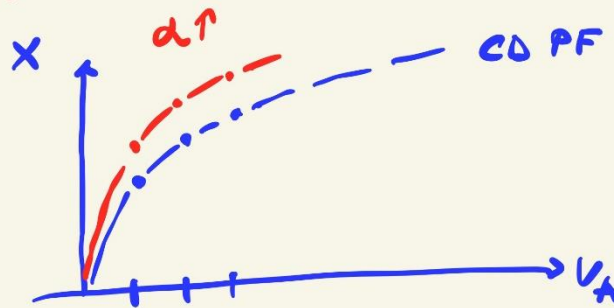
1. $q_A \uparrow$
2. \neq
3. Invest.
4. $GP \downarrow$
5. $q_K \downarrow$



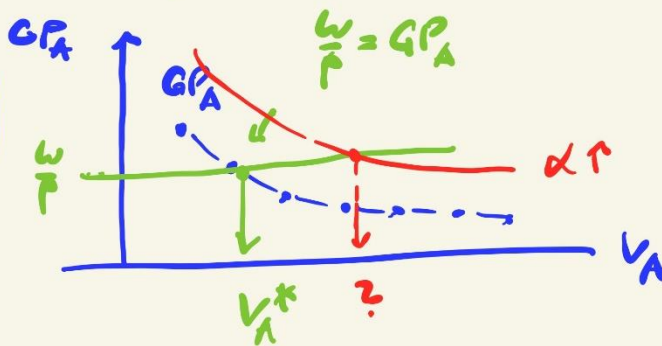
1000 €
4+1

→ CD - PF → Mikro $X = \alpha \cdot v_A^\beta \cdot v_K^{1-\beta}$
 Cob-Douglas Faktor $Y = d \cdot L^\alpha \cdot K^{1-\alpha}$

$v_K = \text{const}$
 $K = \text{const}$
 → hard.



$\left(\frac{\Delta X}{\Delta v_A} \right)$
 $\frac{dX}{dv_A}$



Kosten state.

$\frac{w + LNK}{P}$ - Gehalt
 P - tarif.

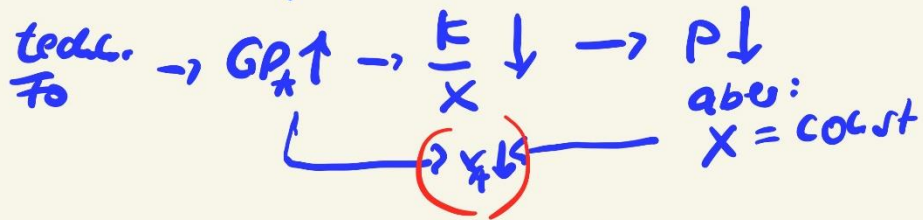
↑
 Bruttoerlöse -
 Lohnkosten

$\frac{w}{P}$

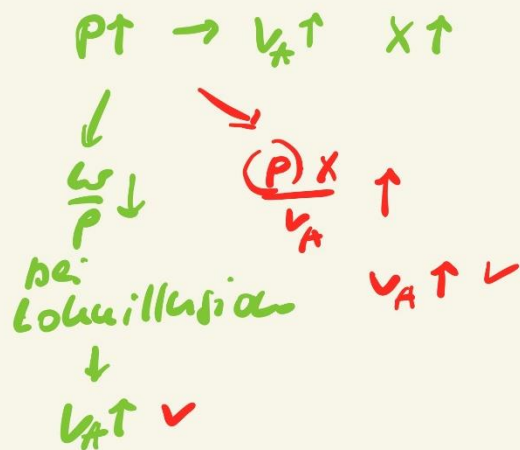
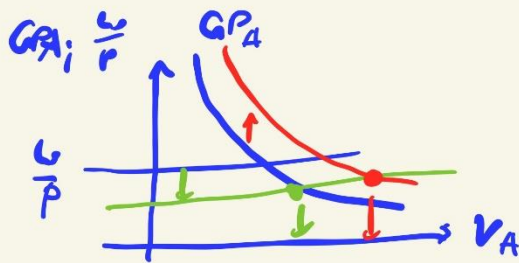
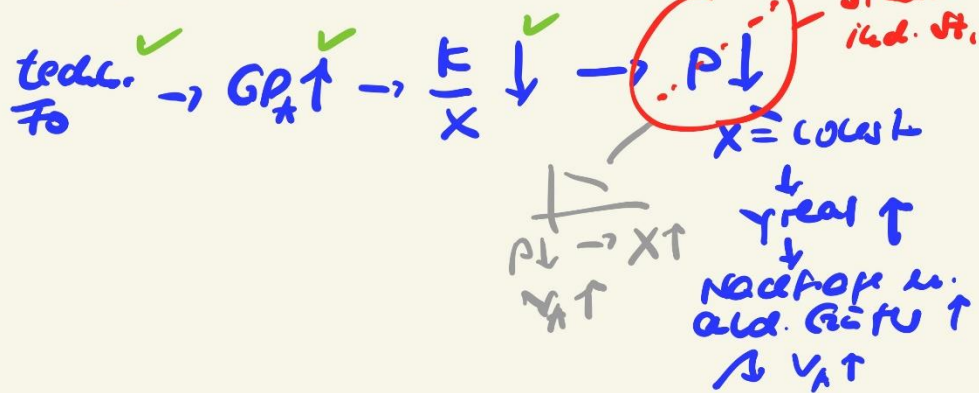
Bruttoerlös ..
 → Bruttoerlös ..
 Nettoerlös ..
 Nettoerlös ... -

- w

Ricardo 1821 Theorem



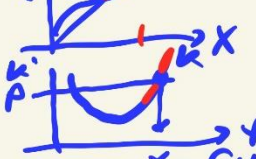



* Komparativtheorie



- ! • Überschusskapital durch $w = \text{const}$ (Lohnillusion) \rightarrow Staat
- $w \uparrow$

Zsf. A - Analyse

- $X_A^?$ - opt. Prod-plan (Ziel G_{max})
-  - EKG X_{max} , ∂EP , G_{max} bei X_{max}
 linearer Kosten
 Anwendung ① Start ② Ratio ③ ∂B
- U-Analyse \rightarrow Prod-fkt. \rightarrow FVF \rightarrow $q \rightarrow k \rightarrow G$ -Fkt.
-  - Synergie \rightarrow Verlauf (PAZ)
 $\rightarrow G_{max}: k' = E'$ $\forall X_{max} \rightarrow E \rightarrow k$ $***$
-  \leftarrow - indiv. $*$ -Fkt $*$
 - Grenze: $\partial D E' = k' = \partial K$ $1*$
 $\partial A E = k' = \partial K_{var}$ $*$
 X_{max}
- 2 variable PF

 $k_{kk} * \rightarrow \Delta X \rightarrow$ Exponentialpfad $\Delta X = const$
 $k_{kk} \Leftrightarrow -q_k/q_n = -G_{pk}/G_{pn}$ $G_{EDPF} *$
 CDPF $V_A^* \Leftrightarrow G_{PA} = WLP * Koup = Theorie *$